

# Physics-Informed Intelligent Prognostic and Diagnostic Framework

for Nuclear Power Plant Safety System Signal Processors

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## ABSTRACT

We propose a Physics-Informed Intelligent Prognostic and Diagnostic (PIIM) framework that couples an **Extended Kalman Filter (EKF)** with the Arrhenius physics-of-failure model to estimate the degradation index  $D$  and identify the activation energy  $E_a$  online for nuclear safety-grade signal processors. A hierarchical intelligent diagnostic agent — clarified as an *architectural pattern* rather than a specific AI algorithm — converts EKF output into uncertainty-bounded RUL with autonomous reporting. Validated on a 1,000-day virtual capacitor profile, the framework converges  $\hat{E}_a$  from a  $-12\%$  biased prior, predicts failure at Day 889 with 90-day advance warning, and detects an injected Day-300 overload shock via  $3\sigma$  innovation. Multi-temperature scenario analysis (45 / 55 / 65°C) yields directly actionable maintenance timelines.

**Keywords** Signal Processor · Physical Model · Extended Kalman Filter · Intelligent Agent · RUL · Prognostic · Diagnostic · SMR

## 1 Introduction

- ~440 PWRs / BWRs in operation worldwide
- > 80 SMR concepts under development (NEA, 2024)
- 2030s Expected commercial SMR deployment

### Why online PHM for I&C signal processors?

- Safety-grade I&C is core to reactor protection in both NPPs and SMRs
- Subject to thermal, radiation, and humidity-induced degradation
- Large PWRs target 60–80 year long-term operation
- SMRs need reliable PHM from deployment outset

## 2 Arrhenius Physics-of-Failure

Degradation rate

$$r(T) = A \cdot \exp(-E_a / k_B T) \quad (1)$$

State evolution

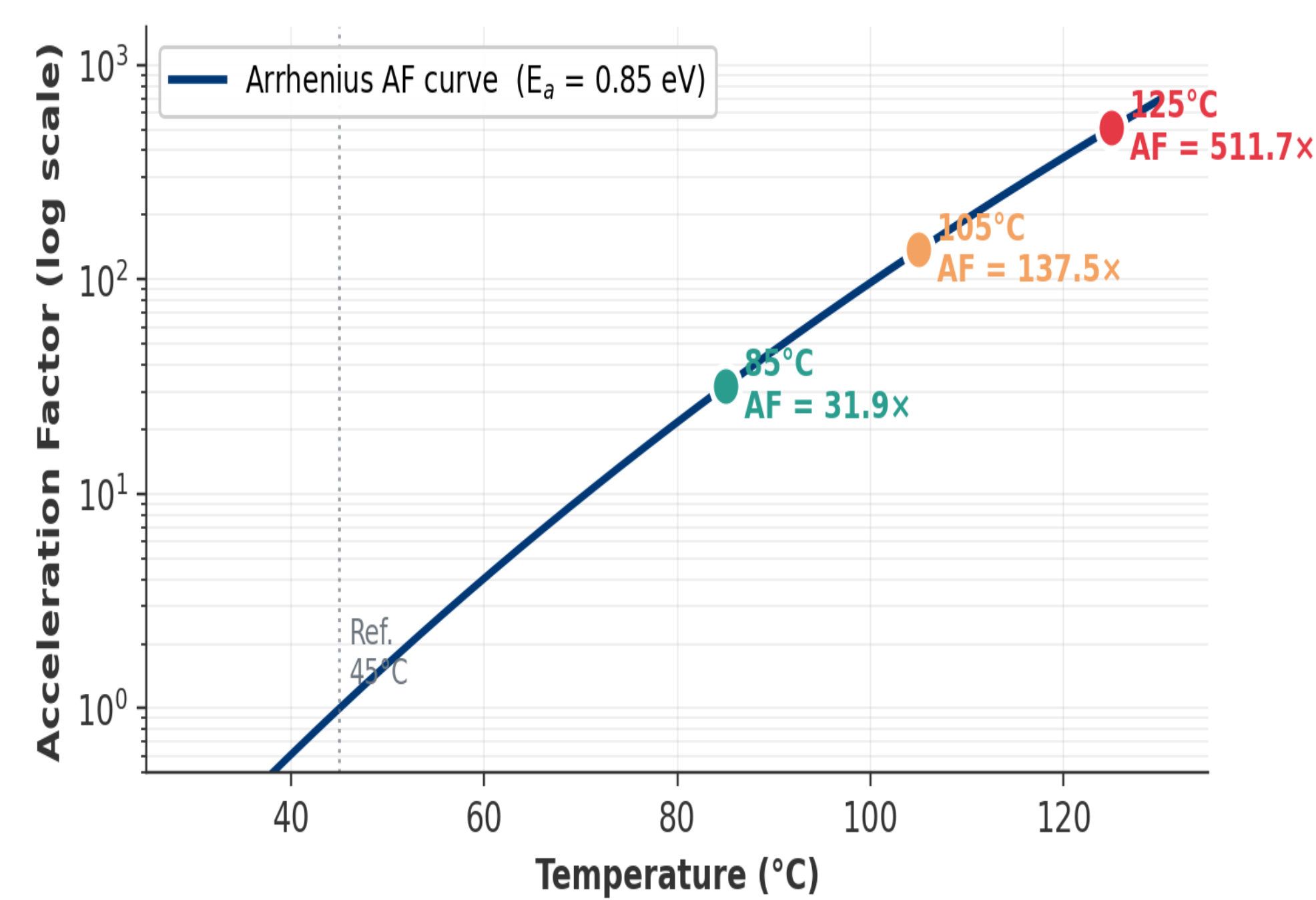
$$D_{k+1} = D_k + r(T_k) \cdot \Delta t + w_k \quad (2)$$

Acceleration factor (ALT)

$$AF = \exp[(E_a / k_B) \cdot (1/T_{use} - 1/T_{ss})] \quad (3)$$

Failure threshold:  $D_{th} = 0.80$

### Arrhenius Acceleration — ALT Validation Points



Temperature Sensitivity (ref. 45°C,  $E_a = 0.85$  eV)

+10°C →  $AF_{10} \approx 1.78\times$ , +20°C →  $AF_{20} \approx 3.18\times$

$RUL \propto 1 / r(T)$  → strong exponential temperature sensitivity

## 3 EKF State-Space Formulation

Augmented State Vector

$$\mathbf{x} = [D, E_a]^T$$

Enables simultaneous degradation estimation + component-specific  $E_a$  identification

Critical Jacobian Element (Eq. 4)

$$F_{12} = -(A \cdot \Delta t / k_B \cdot T_k) \cdot \exp(-E_a / k_B \cdot T_k)$$

Sensitivity of  $D$ -evolution to activation energy

Table 1. EKF Algorithm (Joseph-form covariance update)

Step	Operation	Expression
Initialize	$\mathbf{x}_0, \mathbf{P}_0$	$\mathbf{x}_0 = [0, E_{a,0}]^T, \mathbf{P}_0 = \text{diag}([1 \times 10^{-6}, 0.01])$
Predict	$\hat{\mathbf{x}}(k k-1)$	$\mathbf{x}_p = \mathbf{f}(\hat{\mathbf{x}}(k-1), \mathbf{T}(k))$
	$\mathbf{P}(k k-1)$	$\mathbf{P}_p = \mathbf{F} \cdot \mathbf{P} \cdot \mathbf{F}^T + \mathbf{Q}$
Update	$\mathbf{K}_k$	$\mathbf{K} = \mathbf{P}_p \cdot \mathbf{H}^T \cdot (\mathbf{H} \cdot \mathbf{P}_p \cdot \mathbf{H}^T + \mathbf{R})^{-1}$
	$\hat{\mathbf{x}}(k)$	$\mathbf{x} = \mathbf{x}_p + \mathbf{K} \cdot (\mathbf{z}_k - \mathbf{H} \cdot \mathbf{x}_p)$
	$\mathbf{P}$	$\mathbf{P} = (\mathbf{I} - \mathbf{K} \mathbf{H}) \cdot \mathbf{P}_p \cdot (\mathbf{I} - \mathbf{K} \mathbf{H})^T + \mathbf{K} \cdot \mathbf{R} \cdot \mathbf{K}^T$
Output	$D, \hat{E}_a, RUL$	$RUL = (D_{th} - D) / r(T, \hat{E}_a)$

RUL with 95% Confidence Bound

$$RUL = (D_{th} - D) / r(T, \hat{E}_a) \quad RUL_{95} = RUL - 1.645 \cdot \sigma_{RUL}$$

## 4 PIIM Framework Architecture

Intelligent Diagnostic Agent —  $\Delta t = 1$  min monitoring cycle

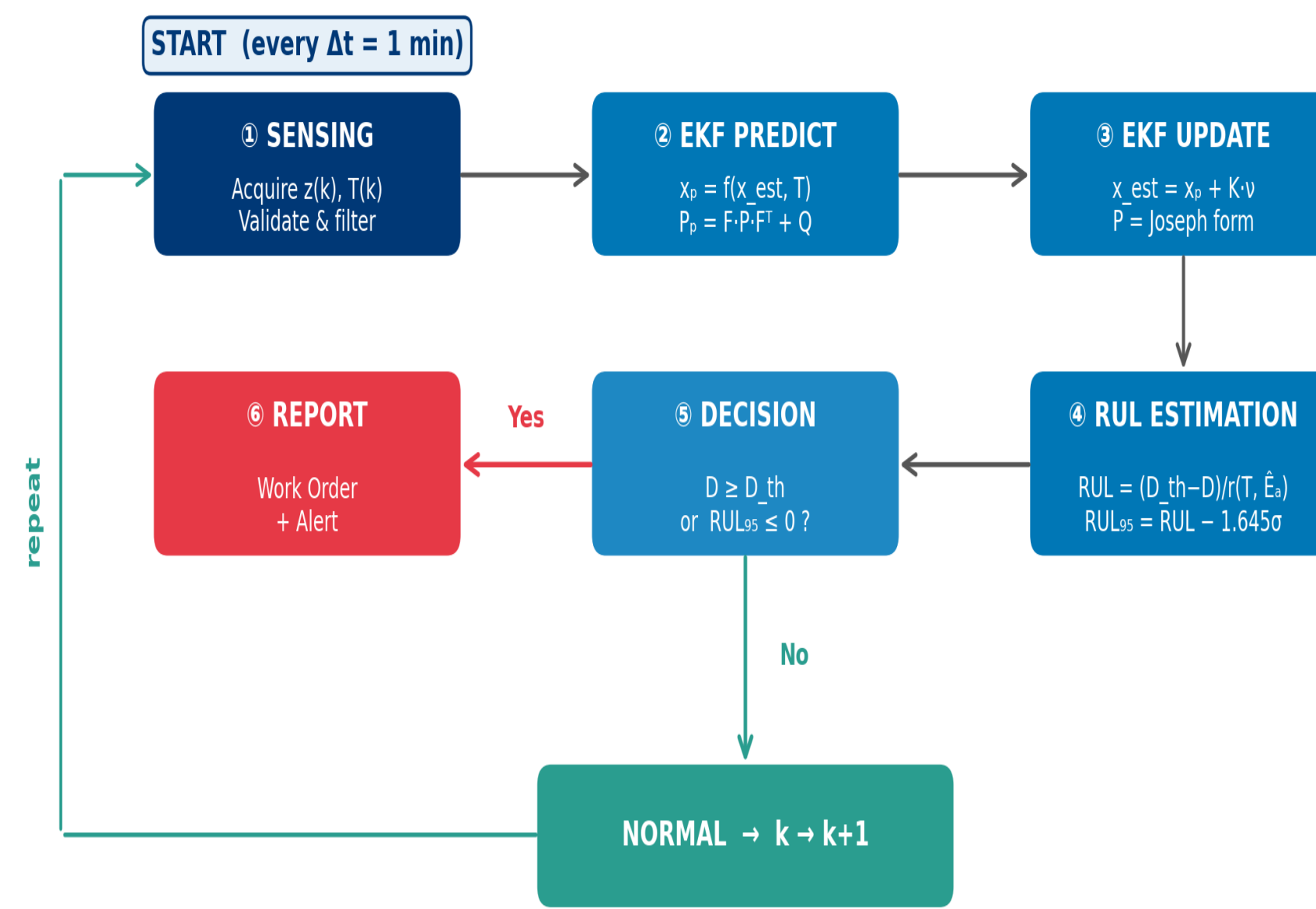


Fig. 1. Overall algorithm flow of PIIM.

Note “Intelligent diagnostic agent” denotes an architectural pattern structuring autonomous sensing, diagnosis, decision-making, and reporting — not a specific AI algorithm.

## 5 Simulation & Validation

Parameters

A	$2.5 \times 10^{-4} \text{ h}^{-1}$
$E_a$ (true)	0.85 eV
$D_{th}$	0.80
Profile	1,000 d @ 45±8°C
$\Delta t$	1 minute
$\hat{E}_{a,0}$	0.748 eV (-12%)
Cutoff	Day 799

ALT Acceleration Factors

85°C	AF = 31.9x
105°C	AF = 137.5x
125°C	AF = 511.7x

## 6 EKF Results

Tight uncertainty bounds + 90-day advance failure warning

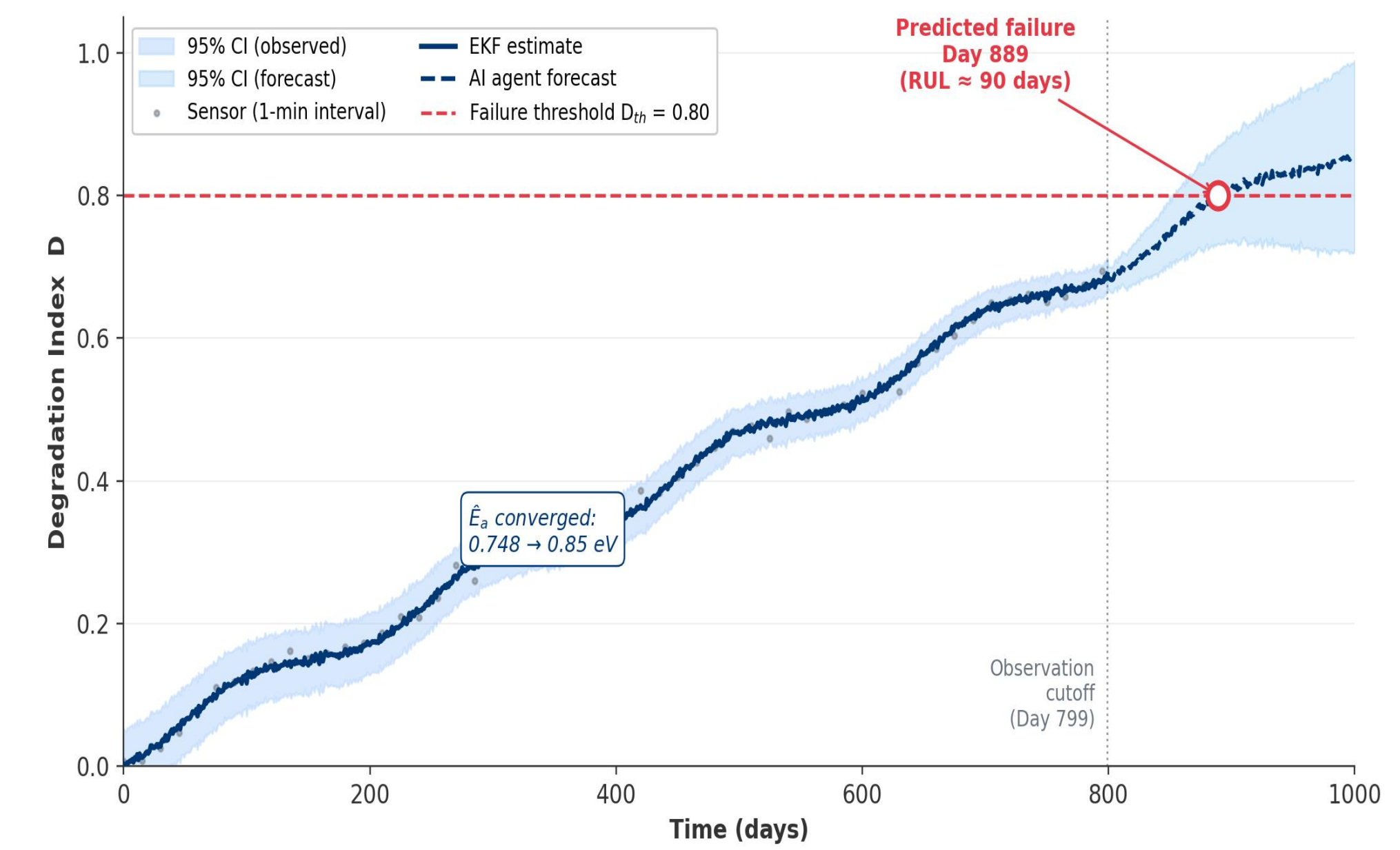


Fig. 2. EKF degradation estimation (1-min interval) with 95% CI and forecast.

KEY RESULTS	
$\hat{E}_a$ convergence	0.748 → 0.85 eV
Predicted failure	Day 889
Advance warning	≈ 90 days

### Fault Diagnosis — Day 300 Overload Shock Detection

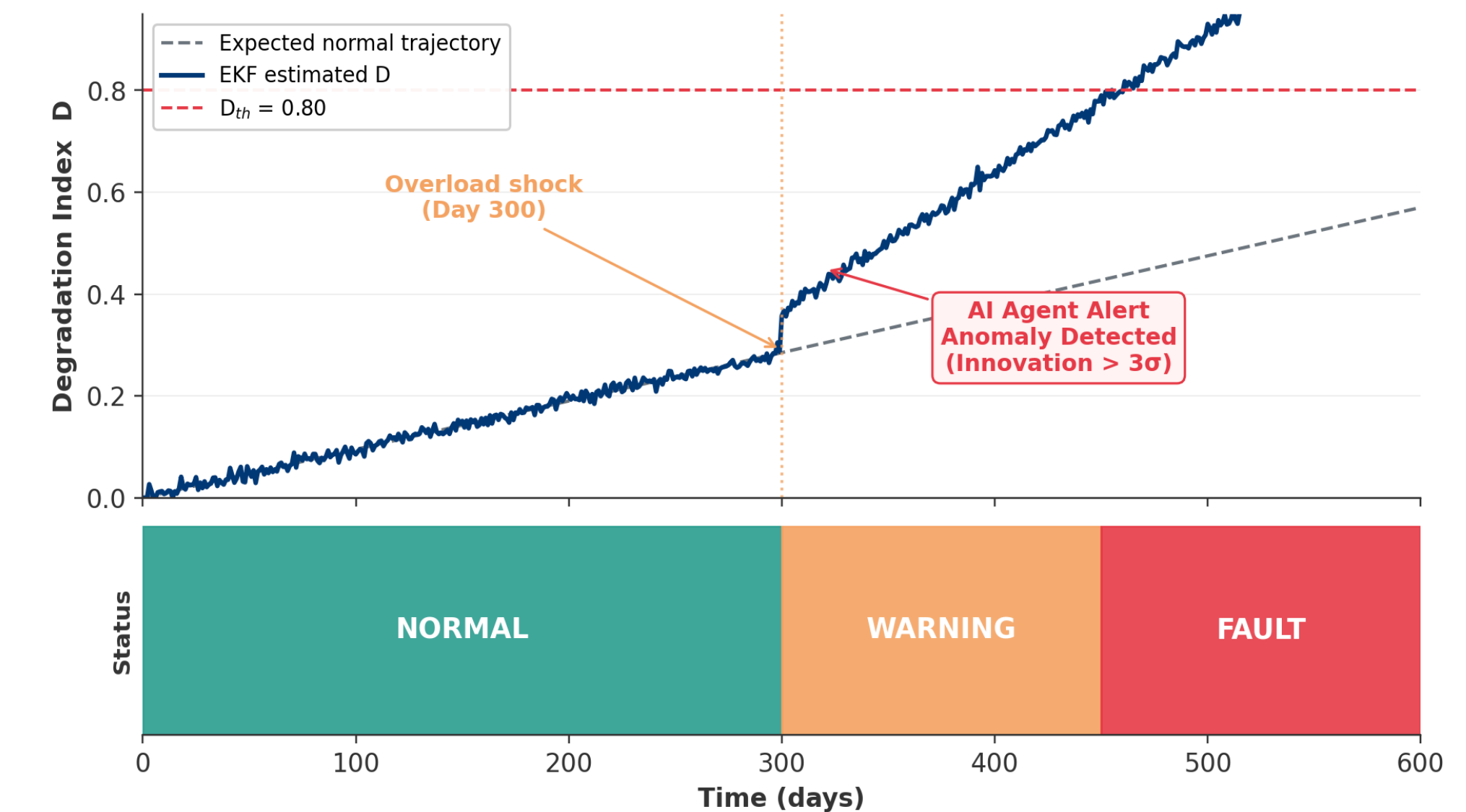
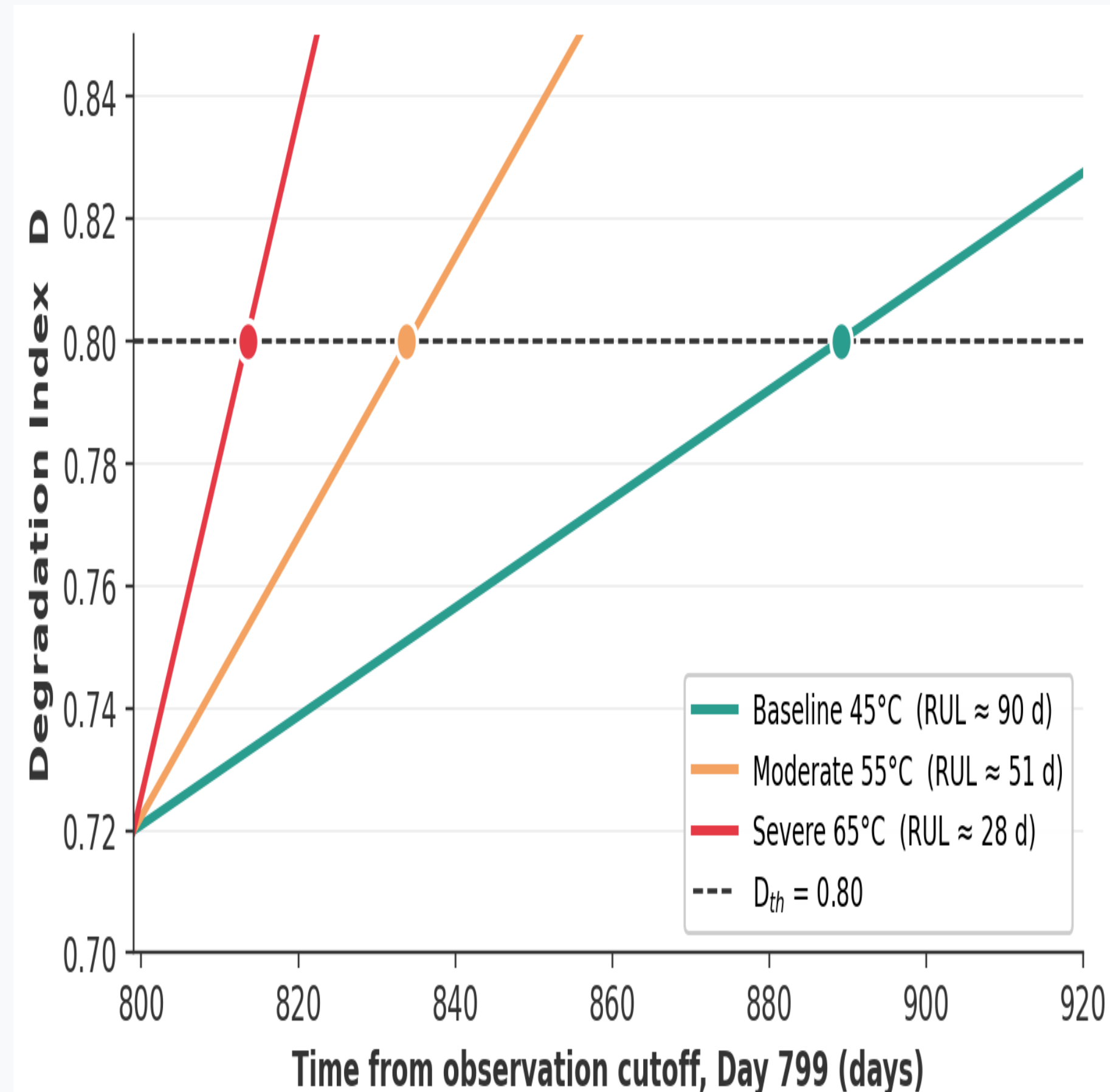


Fig. 3. Anomaly detection via Kalman-filter innovation  $> 3\sigma$ .

## 7 Predictive Scenarios

From observation cutoff (Day 799),  $D \approx 0.72$ ,  $\hat{E}_a \approx 0.85$  eV



## 8 SMR Applicability

- CHALLENGE Limited Sensor Access**  
→ Model-based  $E_a$  inference
- CHALLENGE Reduced Staffing**  
→ Autonomous explainable agent
- CHALLENGE Absent Field Database**  
→ Online  $E_a$  identification

## 9 Conclusions

- C1 Rigorous EKF formulation**  
Arrhenius-based simultaneous  $D$  estimation + online  $E_a$  identification with uncertainty-bounded RUL.
- C2 Hierarchical agent architecture**  
Framework pattern (not AI algorithm) for autonomous sensing-diagnosis-decision-reporting.
- C3 SMR applicability**  
Adapts to limited field DBs; modular agent supports DCS deployment.