3 Navier-Stokes

Prediction of an Axial Pump Performance by Three-Dimensional Navier-Stokes Calculation



Abstract

The CFD analysis of the three-dimensional turbulent flow in the impeller and diffuser of an axial flow pump was performed. Not only the design point but also the off-design points were computed. The results were compared with available experimental data in terms of head generated. At the design point, the analysis accurately predicted the experimental head value. In the range of the higher flow rates, the results were also in very good agreement with the experimental data, in absolute value but also in term of slope. Although experimental data to be compared were not available in the range of the lower flow rates, the results well described the S-shape performance curve of the axial pump characteristic.

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(Computational Fluid Dynamics; CFD) 가 CFD CFD 가 CFD SMART (Main Coolant Pump;

'2000

MCP)	^[1] . MCP	
		. MCP
	. SMART MCP	
	МСР	
	CFD	(axial pump) 71
. CFD		
	CFD	,
CFD	가 .	

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R (mm)	32.6	40.4	46.8	52.4	57.5	62.2	66.5	70.6	74.5	78.2	81.7
<i>l</i> (mm)	32.9	35.4	37.7	39.8	41.6	43.4	45.2	46.9	48.8	50.6	52.3
<i>t</i> (mm)	41.0	50.7	58.8	65.9	72.3	78.2	83.6	88.8	93.6	98.2	102.6
/l(%)	10.	9.23	8.63	8.14	7.72	7.35	7.02	6.73	6.46	6.22	6.00
1 ⁴ (deg)	61.26	65.62	68.57	70.82	72.77	72.41	75.81	77.02	78.08	79.02	79.87
2 (deg)	25.94	39.80	47.27	51.99	55.12	57.35	59.02	60.31	61.33	62.14	62.80

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R (mm)	32.6	40.4	46.8	52.4	57.5	62.2	66.5	70.6	74.5	78.2	81.7
<i>l</i> (mm)	19.1	18.3	18.8	19.7	20.8	22.1	23.3	24.6	25.8	27.0	28.3
<i>t</i> (mm)	22.8	28.2	32.7	36.6	40.1	43.4	46.5	49.3	52.0	54.6	57.7
/l(%)	10.	10.	10.	10.	10.	10.	10.	10.	10.	10.	10.
ı (deg)	29.39	24.52	21.48	19.35	17.74	16.48	15.46	14.6	13.88	13.25	12.69
2 ' (deg)	- 11.6	- 11.7	- 11.2	- 10.6	- 10.0	- 9.47	- 8.97	- 8.52	- 8.12	- 7.75	- 7.42

(water tunnel)

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(dynamometer)

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3. CFD

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CFD FINE/Turbo 3 (multi-block) (structured grids) . Navier - Stokes Jameson . 4 (four-stage) (artificial dissipation) [3] Runge-Kutta (residual) . 가 (multi grid) local time stepping implicit residual smoothing $Baldwin-Lom\,ax$ k-ε k-ε





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(meridional)

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[3] A. Jameson, W. Schmit and E. Turkel, "Numerical Solutions of the Euler Equations by Finite Volume Methods Using Runge-Kutta Time-Stepping Schemes," AIAA Paper 81-1259.

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- [4] FINETM Numeca's Flow Integrated Environment, User Manual, Numeca Inc., Feb. 1999.
- [5] Ch. Hirsch, C. Lacor, A. Rizzi, P. Eliasson, I. Lindblad and J. Hauser, "A Multiblock/Multgrid Code for the Efficient Solution of Complex 3D Navier-Stokes Flows," in the Proceedings of the First European Symposium on Aerodynamics for Space Vehicles, pp. 415-420, ESTEC, ESA